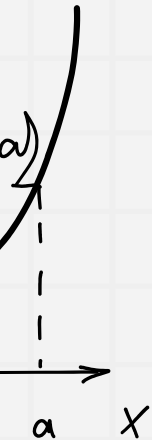


$$\int_0^1 dy \int_0^1 f(x) dx + \int_0^1 dy \int_{1/\sqrt{2}}^1 f(2x) dx =$$

$$2\sqrt{y^2 - x^2}$$



# Matematika di Industri (Migas)

Aditya Firman Ihsan

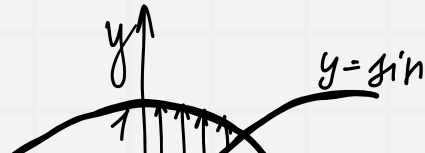


$$x = 2y$$

$$z = 1 + v$$

$$z = 4 + v$$

$$\int_0^1 dx \int_0^{1-x} x^2 z^{10(x+3y)} du =$$



$$z = \sqrt{y^2 - x^2}$$

$$z = 1 + \sqrt{9x^2 + 4y^2}$$
$$z = 4 + \sqrt{9x^2 + 4y^2}$$

∫∫∫  
↓

**Bagaimana matematika  
berhubungan dengan realita?**

y | ↗

$$V: z = 10(x + 3y), x + y + z = 10$$
$$x = 0, y = 0, z = 0$$

$$z = \sqrt{y^2 - x^2}$$

$$z = 1 + \sqrt{9x^2 + 4y^2}$$

$$z = 4 + \sqrt{9x^2 + 4y^2}$$

∫∫∫  
↓

**Realita butuh representasi  
untuk dipahami**

y | ↗

$$V: z = 10(x + 3y), x + y + z = 10, x = 0, y = 0, z = 0$$

$$z = \sqrt{y^2 - x^2}$$

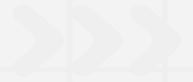
$$z = 1 + \sqrt{9x^2 + 4y^2}$$
$$z = 4 + \sqrt{9x^2 + 4y^2}$$



**model** (n): *a miniature representation of something; a pattern of something to be made; an example for imitation or emulation; a description or analogy used to help visualize something (e.g., an atom) that cannot be directly observed; a system of postulates, data and inferences presented as a mathematical description of an entity or state of affairs*



— Lydm, 2014



V:  $z = 10,$   
 $x = 0,$

$3y), x + y,$   
 $z = 0$

$$z = \sqrt{y^2 - x^2}$$

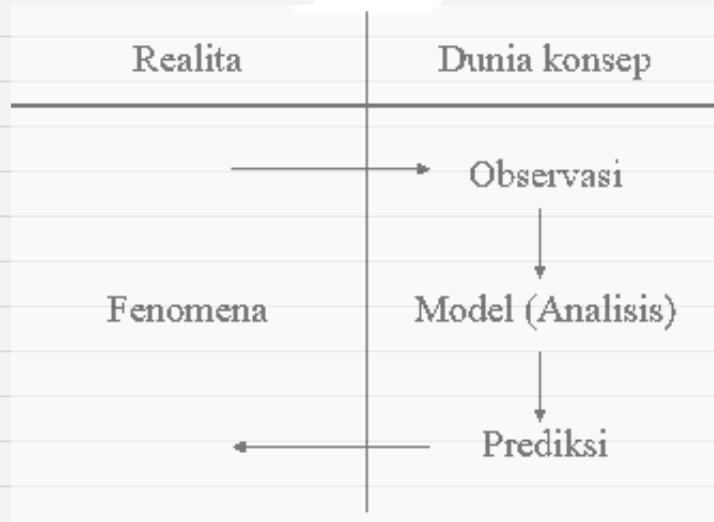
$$z = 1 + \sqrt{9x^2 + 4y^2}$$

$$z = 4 + \sqrt{9x^2 + 4y^2}$$

∫∫∫  
↓

y | ↗

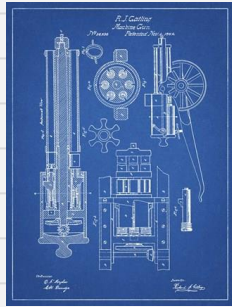
$$V: z = 10(x + 3y), x + y + z = 10$$
$$x = 0, y = 0, z = 0$$



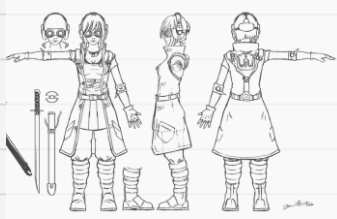
**Model menjadi “potongan” realita untuk memudahkan pemahaman, insight, analisis, dll**



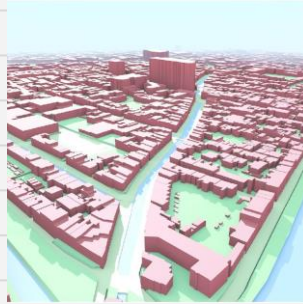
# Setiap model merupakan miniatur dari realita



Model teknologi



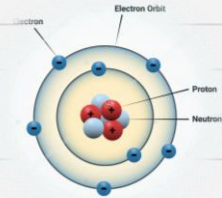
Model karakter



Model kota



Model fashion

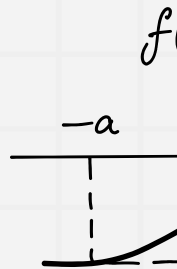


Model atom



$$2\sqrt{y^2 - x^2}$$

# Di sini matematika berperan



Dunia matematika adalah dunia yang bersih dari bias, eksak, rigid, tegas, dan universal.

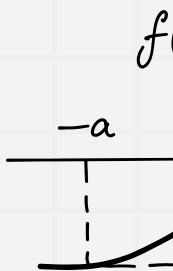
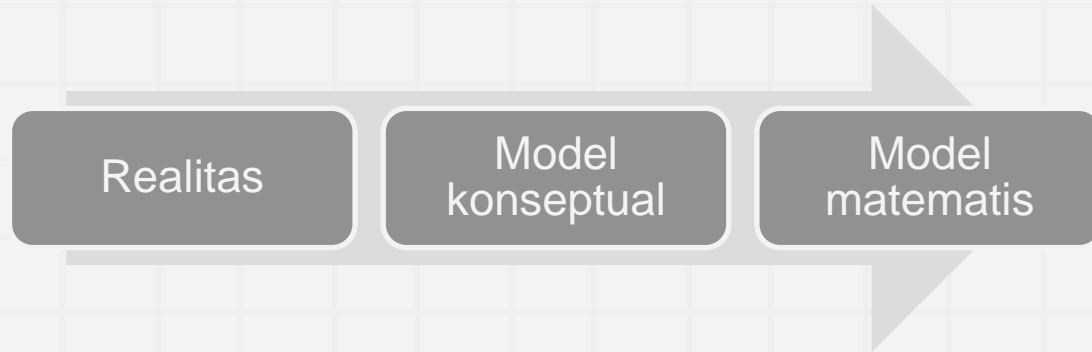
Dalam rangka mendeskripsikan realitas, model yang dibangun dengan matematika menjadi model yang lebih rigid dan universal.

$$= 3y) dy =$$

$$\iiint x^2 dx dy dz =$$



$$2\sqrt{y^2 - x^2}$$

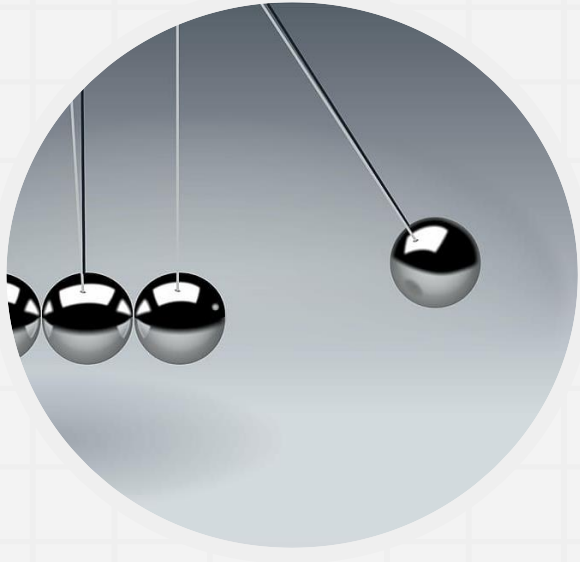


Untuk bisa mendapatkan representasi yang lebih rigid, objektif, dan prediktif, model-model perlu dibawa ke dunia matematis

$$= 3g) dy =$$

$$\iiint x^2 dx dy dz =$$

+



+

## Misalkan, hukum 2 newton

Newton hanya bilang bahwa gaya yang bekerja pada benda merupakan laju perubahan dari momentumnya.

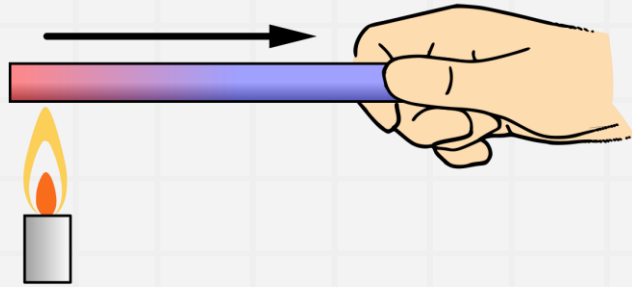
Ketika diformulasikan, menjadi

$$\Sigma F = m \frac{d^2 x}{dx^2}$$

Gerak benda bisa lebih dihitung secara akurat.

$\int_0^1 dy \int_0^1 f dx$   $\int_0^1 dy \int_0^1$

+



+

## Misalkan, hukum Fick

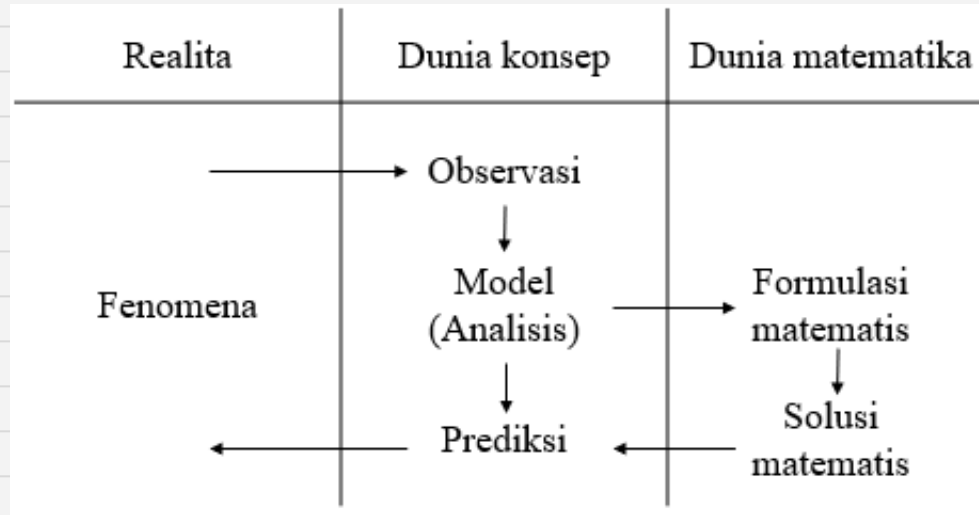
Fick bilang bahwa panas mengalir dari tinggi ke rendah mengikuti gradien panasnya.

Hukum ini ketika diformulasikan menjadi persamaan difusi yang terkenal

$$u_t = Du_{xx}$$



$\int_0^1 dy \int_0^1 f dx$   $\int_0^1 dy \int_0^1$



**Dunia matematika membawa model konseptual menjadi lebih rigid untuk diselesaikan**



**SAMAKAH  
+ DENGAN MODEL  
KOMPUTASI?**



$$\int_0^1 dy \int_0^1 f dx + \int_0^1 dy \int_0^1$$

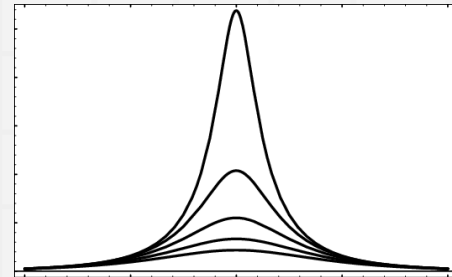
## Misal, persamaan panas dengan sumber titik

$$u_{tt} = Du_{xx}$$

$$u(x, 0) = M\delta(x)$$

Masalah ini dapat diselesaikan secara analitik, solusinya

$$u(x, t) = \frac{M}{\sqrt{4\pi Dt}} e^{-\frac{x^2}{4Dt}}$$



$$\int_0^1 dy \int_0^1 f dx + \int_{1/\sqrt{2}}^1 dy \int_0^1$$

**Namun, kalau masalah ini dimodifikasi sedikit saja**

$$u_{tt} = Du_{xx} + uu_x$$

$$u(x, 0) = M\delta(x)$$

Maka, belum tentu solusi analitiknya  
dapat dihitung

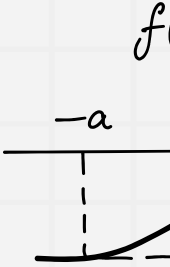
$$2\sqrt{y^2 - x^2}$$

# Tidak semua model matematika dapat diselesaikan

Beberapa model terlalu rumit untuk dihitung secara langsung (analitik)

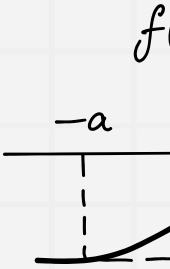
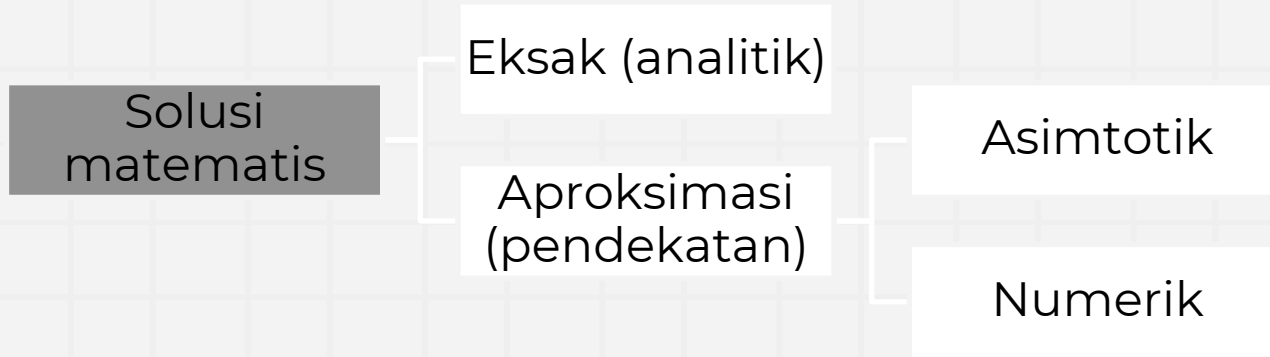
$$= 3y) dy =$$

$$\iiint x^2 dx dy dz =$$





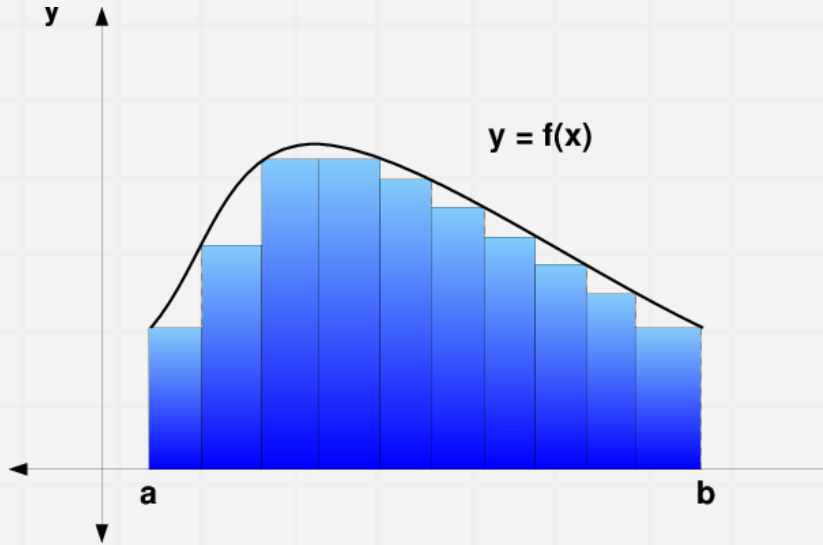
$$2\sqrt{y^2 - x^2}$$



Model matematika dapat disederhanakan lagi untuk mendapatkan solusi yang mendekati (aproksimasi).

$$= 3y) dy =$$

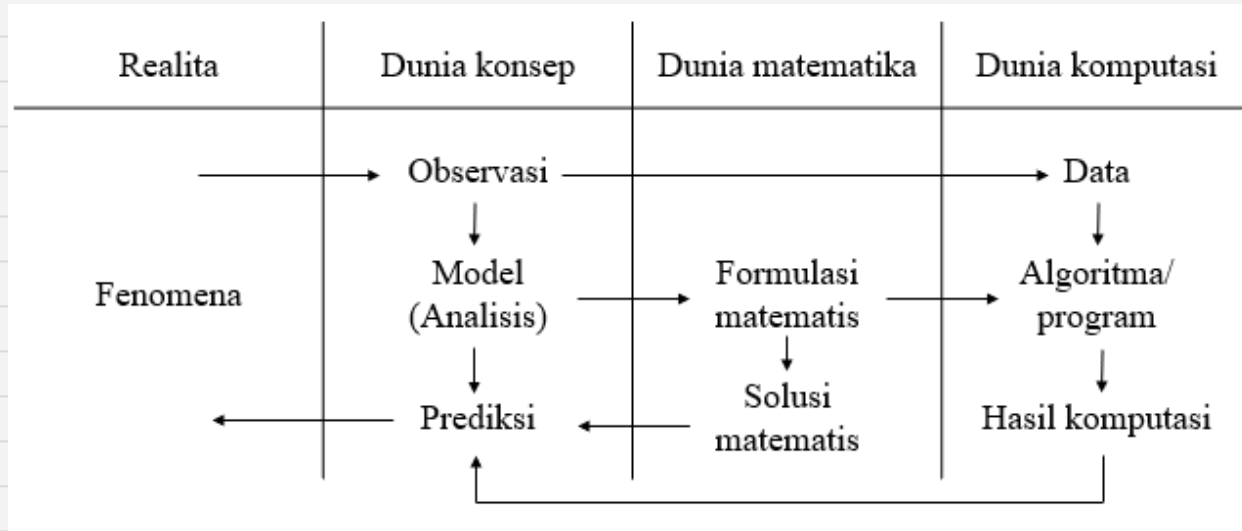
$$\iiint x^2 dx dy dz =$$



Beberapa aproksimasi dapat dihitung secara langsung. Namun sebagian melibatkan banyak iterasi dan diskritisasi

Dalam jumlah besar, perhitungan bisa sangat tidak efektif, sehingga diperlukan bantuan komputer

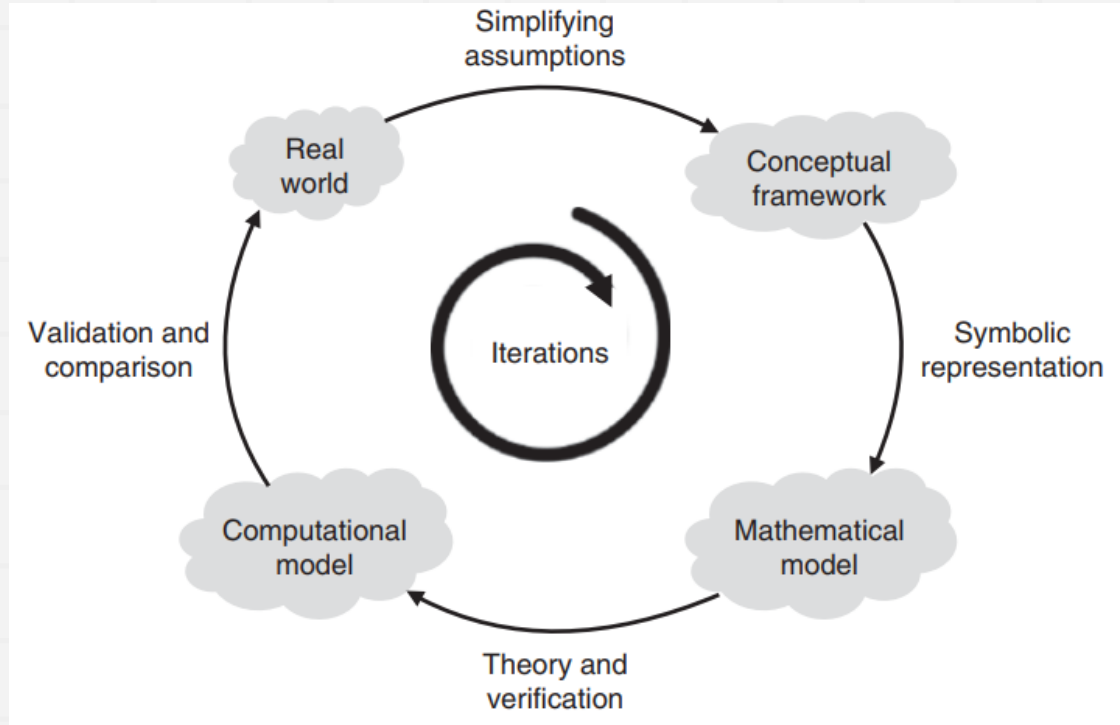
$$= \int_0^1 dx \int_0^{1-x} x^2$$



**Model matematika terkadang perlu diubah menjadi sebuah program untuk menefektifkan perhitungan**



$$2\sqrt{y^2 - x^2}$$

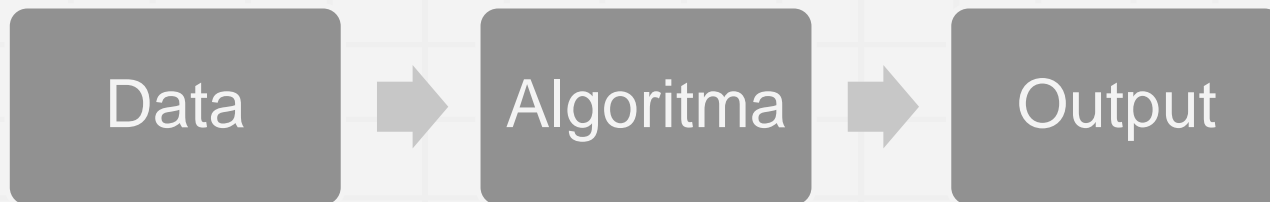


Secara umum,  
peran 4 dunia itu  
dapat  
digambarkan  
sebagai proses  
siklik

$$10(x+3y) \\ \int x^2 dz =$$

$$2\sqrt{y^2 - x^2}$$

## Ingat lagi dalam model komputasi



$$\int 10(x+3y) x^2 dx =$$

$$2\sqrt{y^2 - x^2}$$

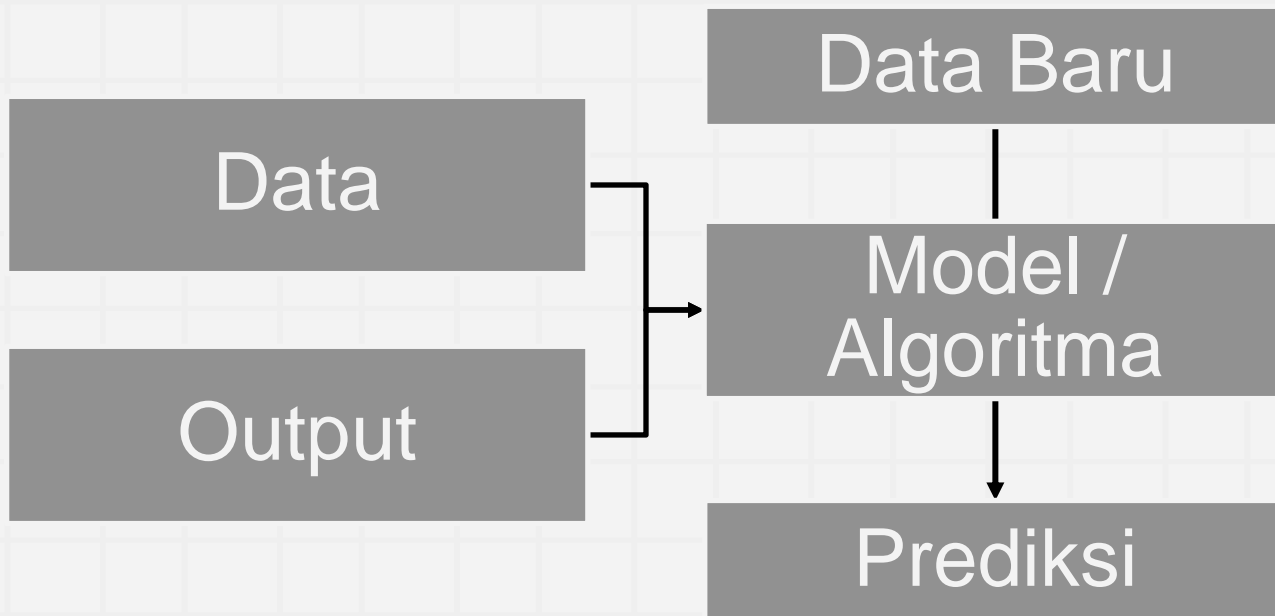
**Tapi, tidak semua sistem diketahui  
algoritmanya**



$$10(x+3y) \\ \int x^2 dz =$$

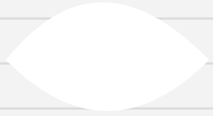
$$2\sqrt{y^2 - x^2}$$

## Bagaimana kalau dibalik?



$$10(x+3y) \int x^2 dz =$$

**SEPERTI** +  
**APA TOPIK-**  
**TOPIKNYA?**





$$2\sqrt{y^2 - x^2}$$

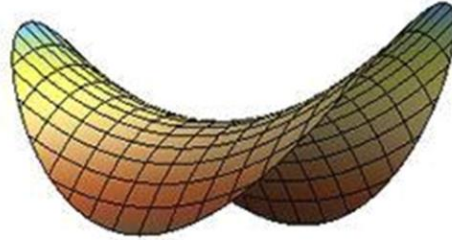
**Model matematika  
dibangun dari gabungan  
topik-topik matematika  
murni**

$$\int (x+3y) x^2 dx =$$

# 1



**GEOMETRI +  
KALKULUS =  
GEOMETRI  
DIFERENSIAL**



$$z = \frac{x^2}{a^2} - \frac{y^2}{b^2}, \quad \frac{x^2}{a^2} + \frac{y^2}{b^2} < 1$$



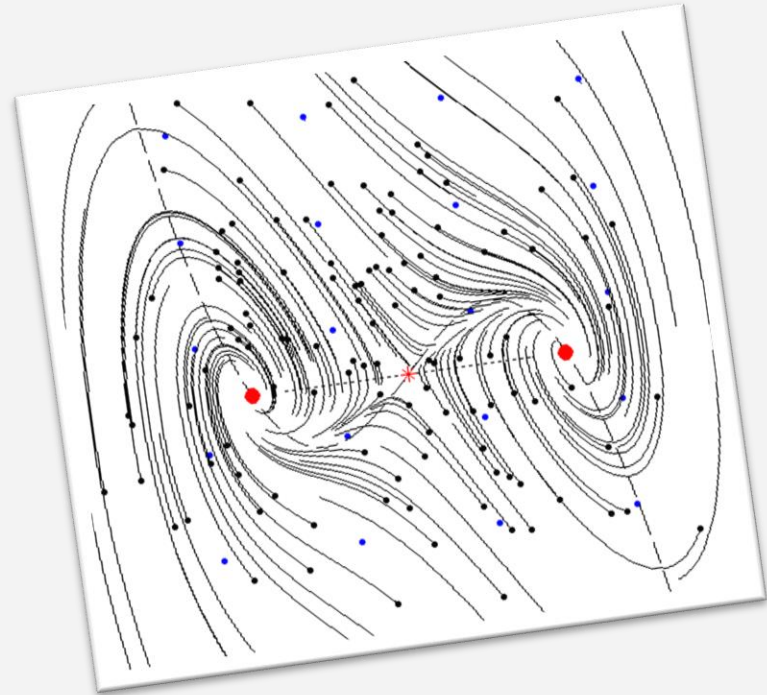
**Contoh: Desain kurvatur, fisika relativitas, pemodelan membranae, analisis permukaan (computer vision)**



# 2

+

**KALKULUS +  
ALJABAR  
LINEAR =  
SISTEM DINAMIK**



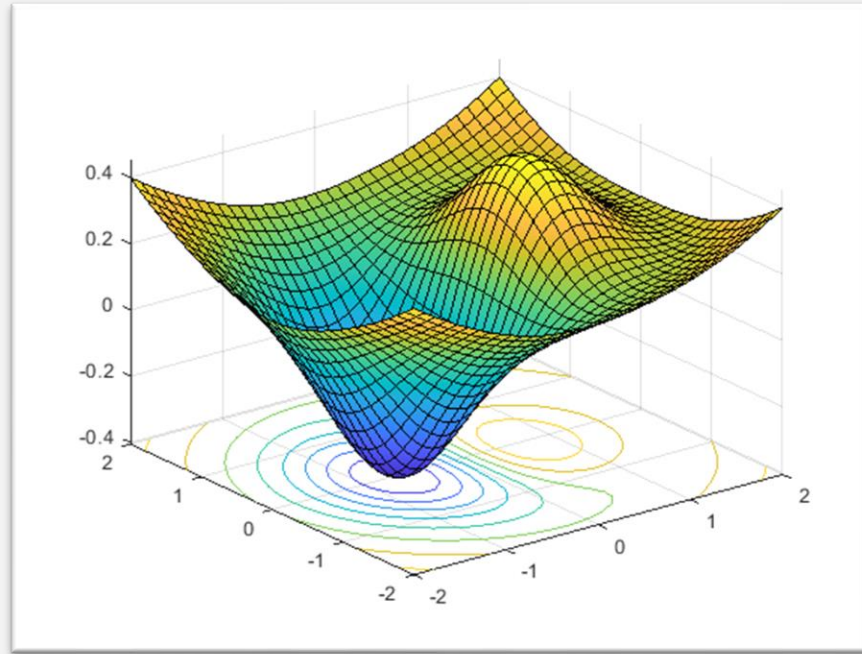
**Contoh: Analisis perubahan system,  
dinamika populasi, biomatematika,  
epidemiologi, mekanika**



# 3

+

**KALKULUS +  
ALJABAR  
LINEAR =  
OPTIMISASI**



**Contoh: Penjadwalan, rekayasa kontrol,  
decision-making, machine learning,  
analisis efisiensi**



# 4

+

**TEORI BILANGAN  
+ STRUKTUR  
ALJABAR =  
KRIPTOGRAFI**



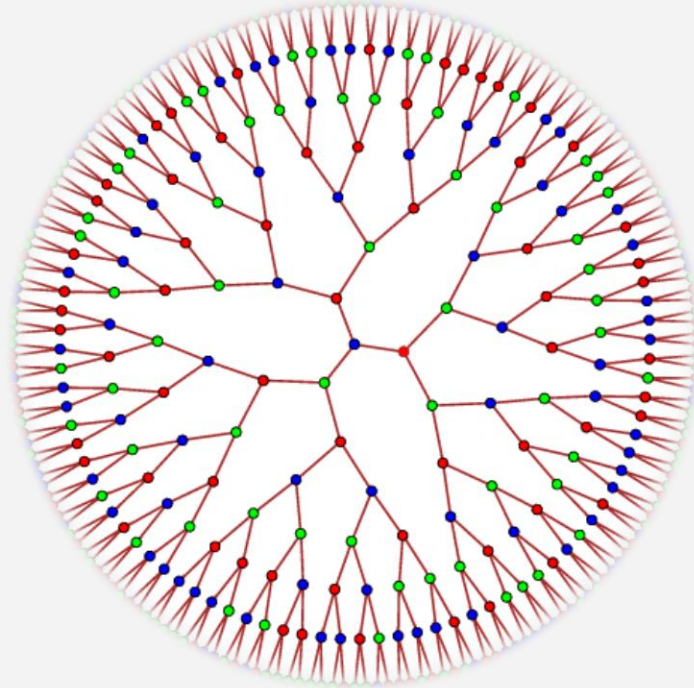
**Contoh: Teori Koding, Blockchain, Teori Informasi, Cybersecurity**



5

+

**STATISTIKA +  
ALJABAR LINIER  
= PROSES  
STOKASTIK**



**Contoh: Teori Resiko, aktuarial, teori antrian, gerak acak, reinforcement learning**

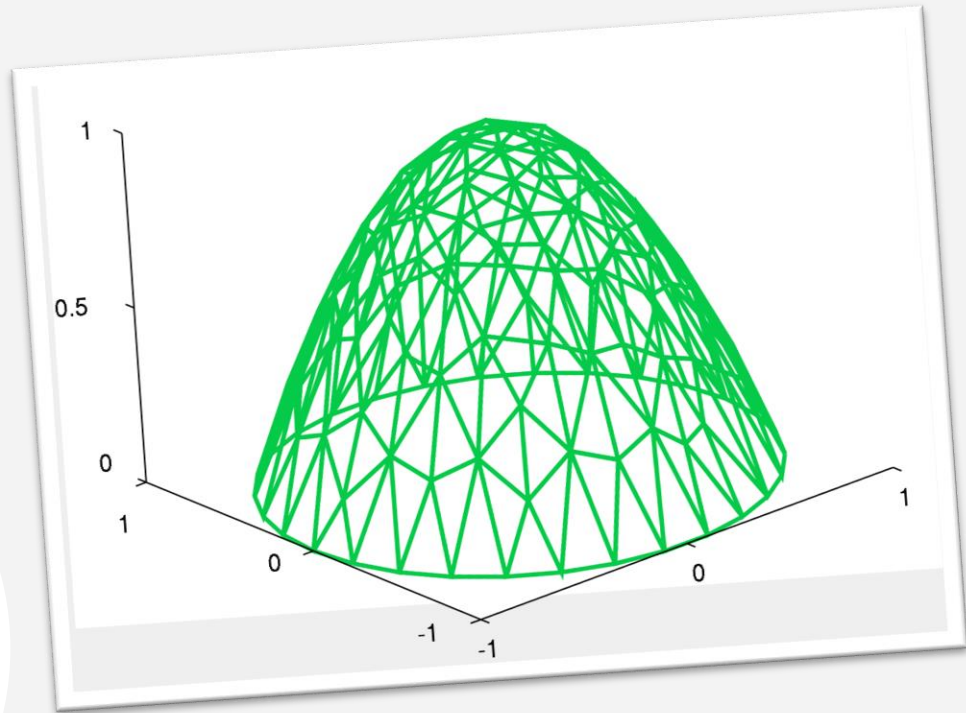
XXXXXX



6

+

**STATISTIKA +  
KALKULUS +  
MATDISKRIT =  
ANALISIS  
NUMERIK**



**Contoh: Regresi, Interpolasi, Persamaan  
Beda, Integrasi numerik**

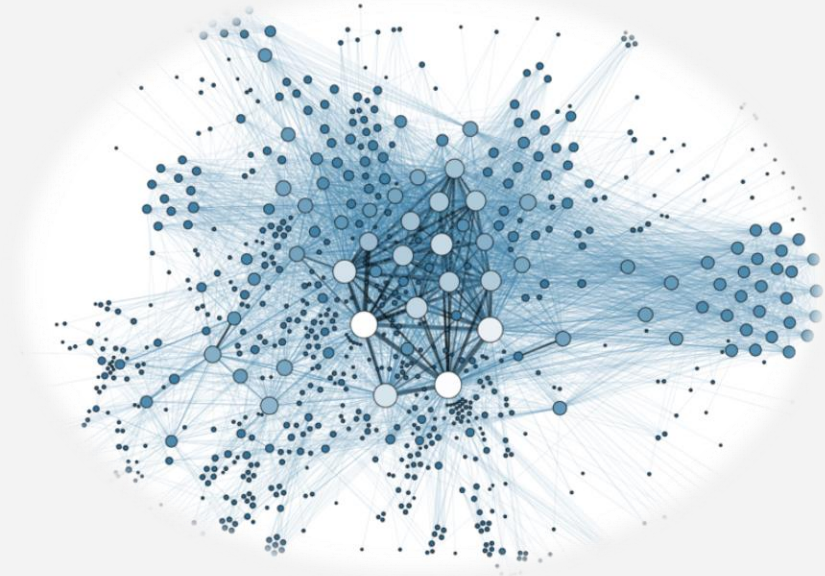
XXXXXX



7

+

**GRAF +  
TOPOLOGI +  
STATISTIK =  
TEORI JARINGAN**



**Contoh: Social Network Analysis,  
Computer Network**

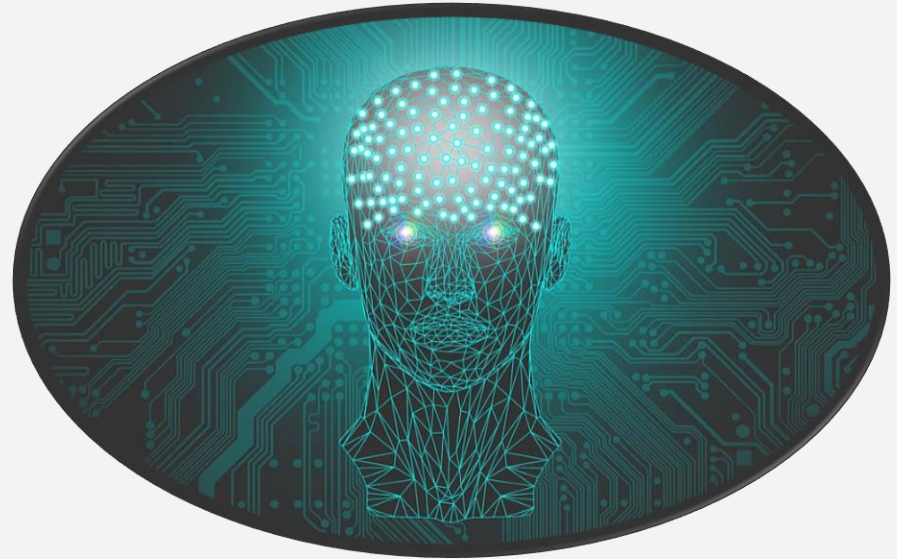




8

+

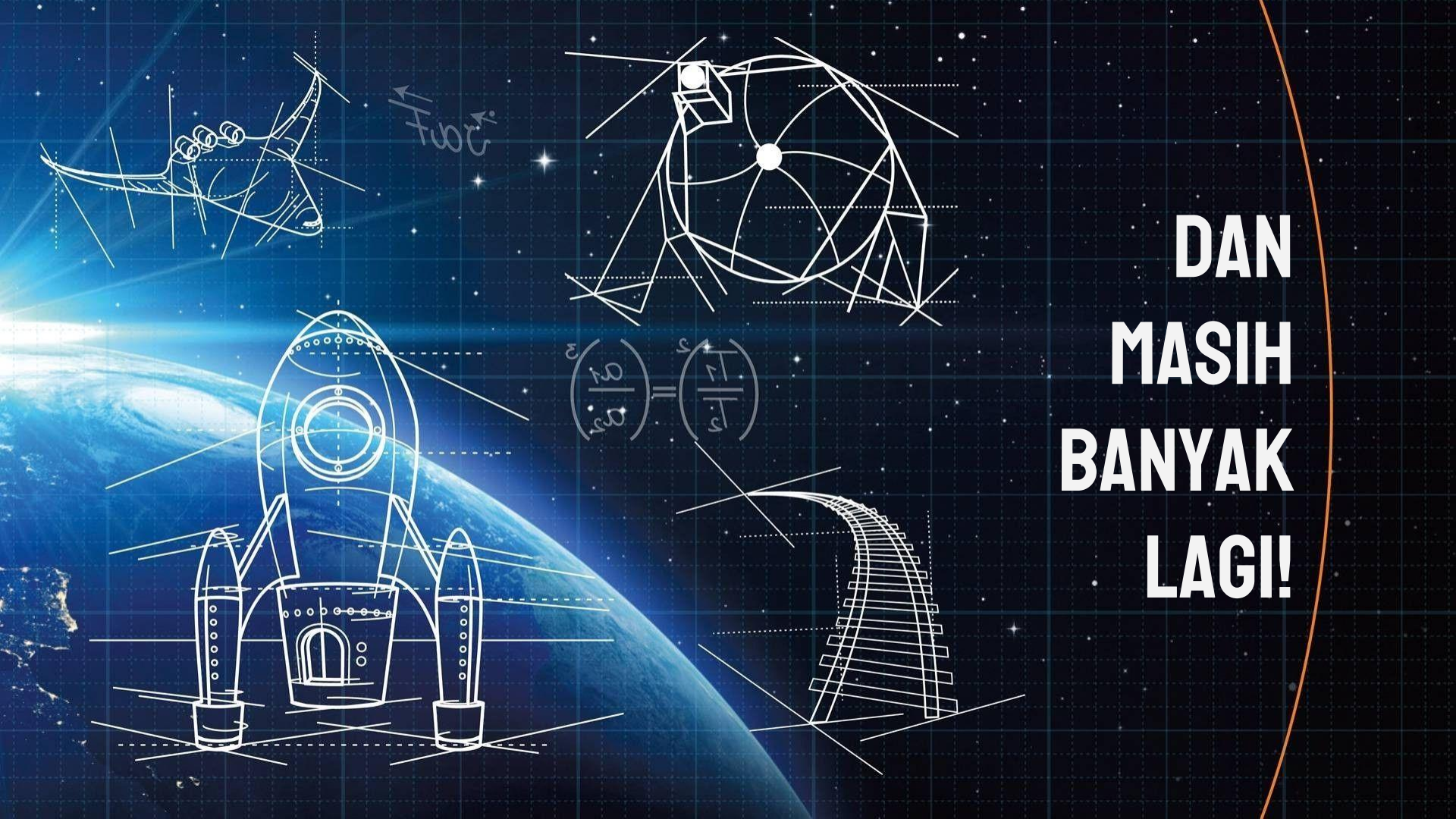
**ALJABAR LINIER  
+ KALKULUS +  
STATISTIK =  
MACHINE  
LEARNING**



**Contoh: Neural network, recommender system, sentiment analysis**

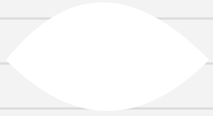
XXXXXX



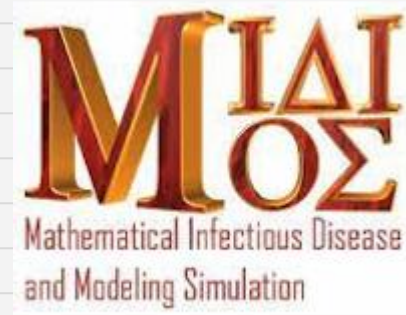


**DAN  
MASIH  
BANYAK  
LAGI!**

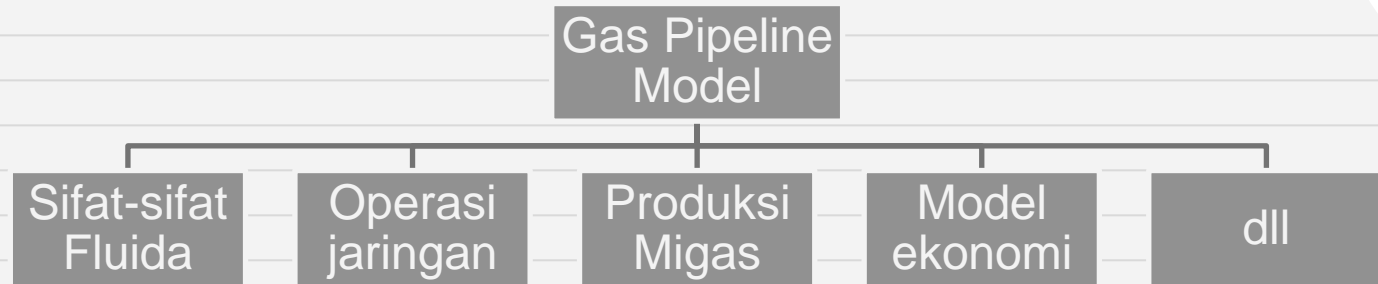
# KASUS REALNYA?



# Pusat Pemodelan Matematika dan Simulasi (PPMS) ITB

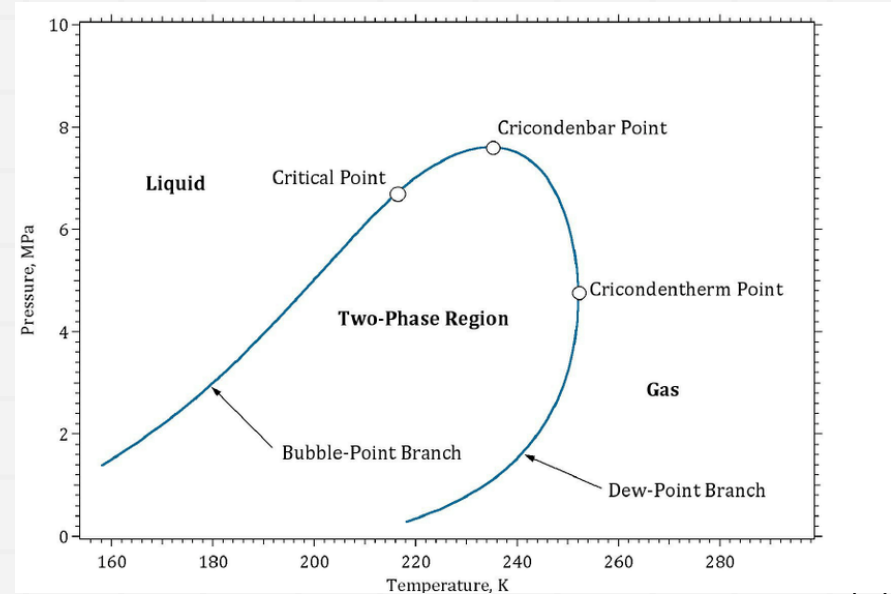


# Optimization of Pipeline Network



# Fluid properties

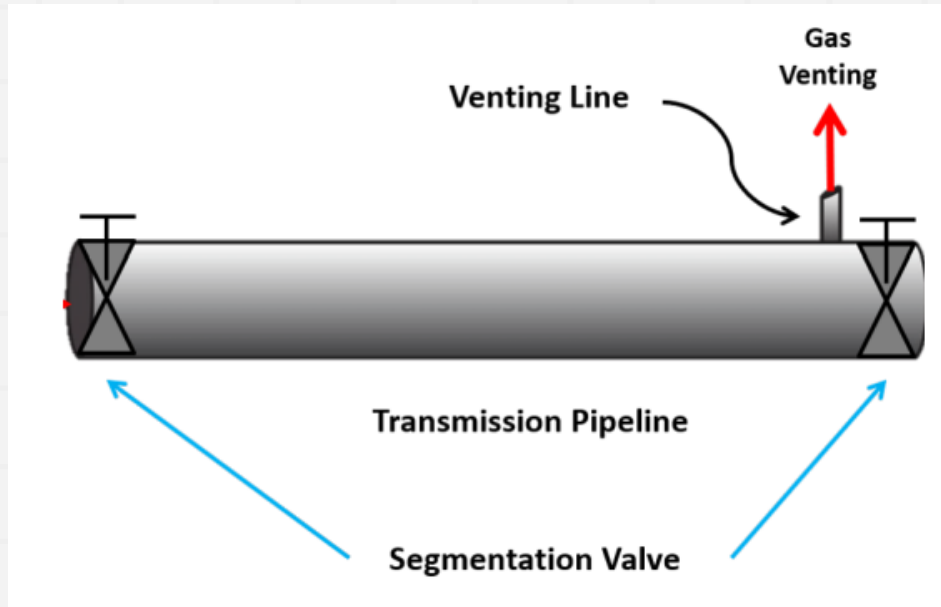
$$f(n_v) = \sum_i \frac{z_i(K_i - 1)}{n_v(K_i - 1) + 1} = 0$$
$$n_l + n_v = 1$$



$$= \int_0^1 dx \int_0^{1-x} x^2$$

$\frac{1}{\sqrt{2}}$   $\frac{1}{\sqrt{2}}$   $\frac{1}{\sqrt{2}}$   $\frac{1}{\sqrt{2}}$

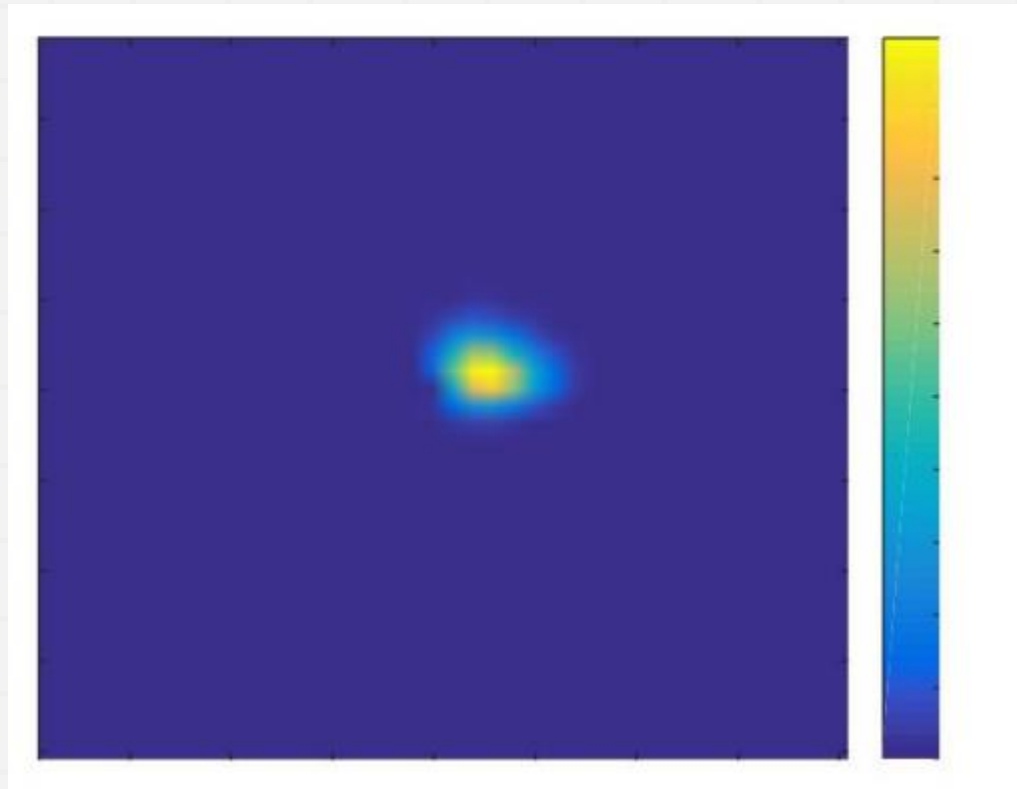
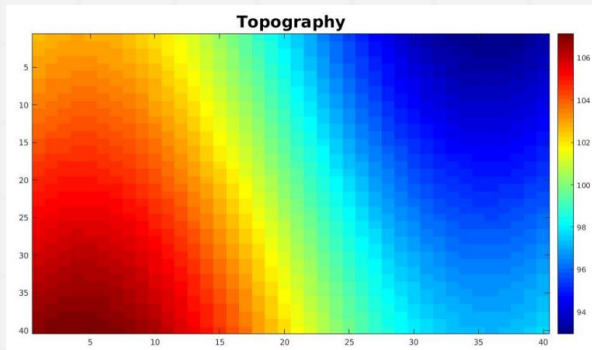
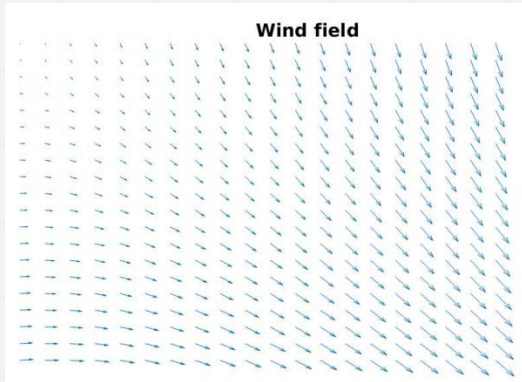
# GAS VENTING



$$\frac{\partial T}{\partial t} = D \frac{\partial^2 T}{\partial x^2} - c(T - T_b) + \frac{\partial \rho}{\partial t} \alpha (T - T_s) [H(x - l) - H(x - l - d_V)] + \mu_{JT} \frac{\partial P}{\partial t} + \text{sgn}(l - x) Q \frac{\partial T}{\partial x}.$$

$= \int_0^1 dx \int_0^{1-x} x^2$

# Gas dispersion



$$Dd(A_{ij}) = w_e(A_{ij+1} - A_{ij}) + w_w(A_{ij-1} - A_{ij}) + w_n(A_{i+1j} - A_{ij}) + w_s(A_{i-1j} - A_{ij})$$

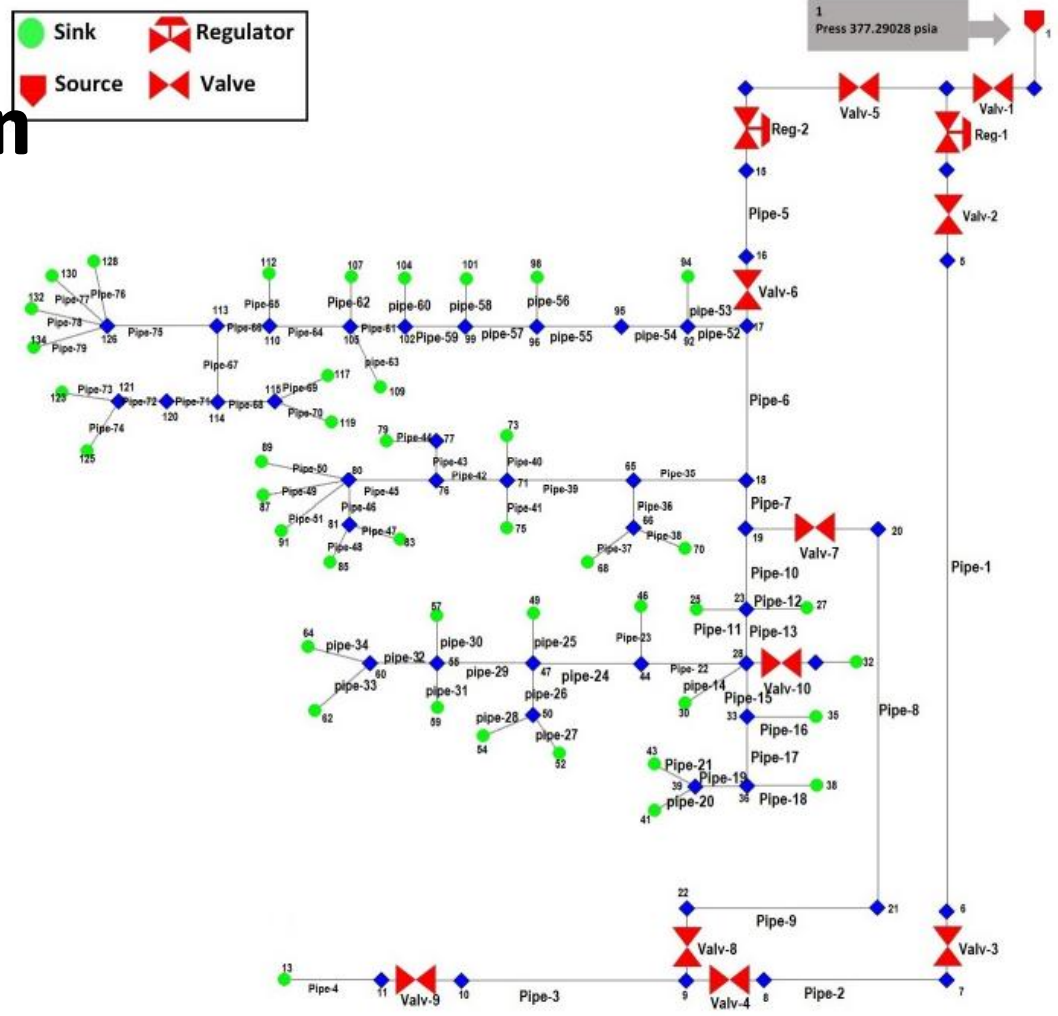
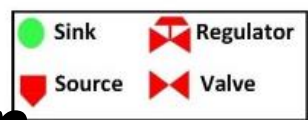
=  $\sigma \times \dots$   $\times^2$



# Pressure distribution

$$f_m = Q_{jm} + Q_{mk} + Q_{N_m} = 0$$

$$Q = a_1 \times E \left( \frac{T_b}{P_b} \right)^{a_2} \left( \frac{(|P_i^2 - P_j^2|)}{T_{avg} Z L_{ij}} \right)^{a_3} \left( \frac{1}{G} \right)^{a_4} ID_{ij}^{a_5}$$

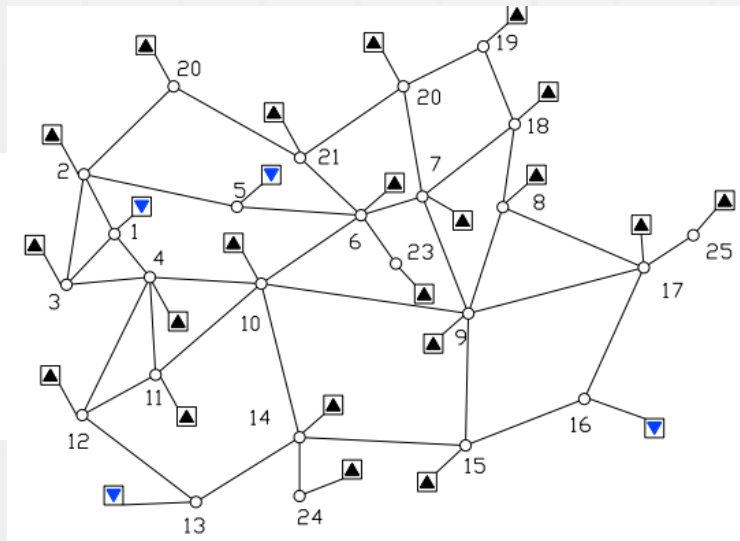


= j u r ) ^

# Model transient

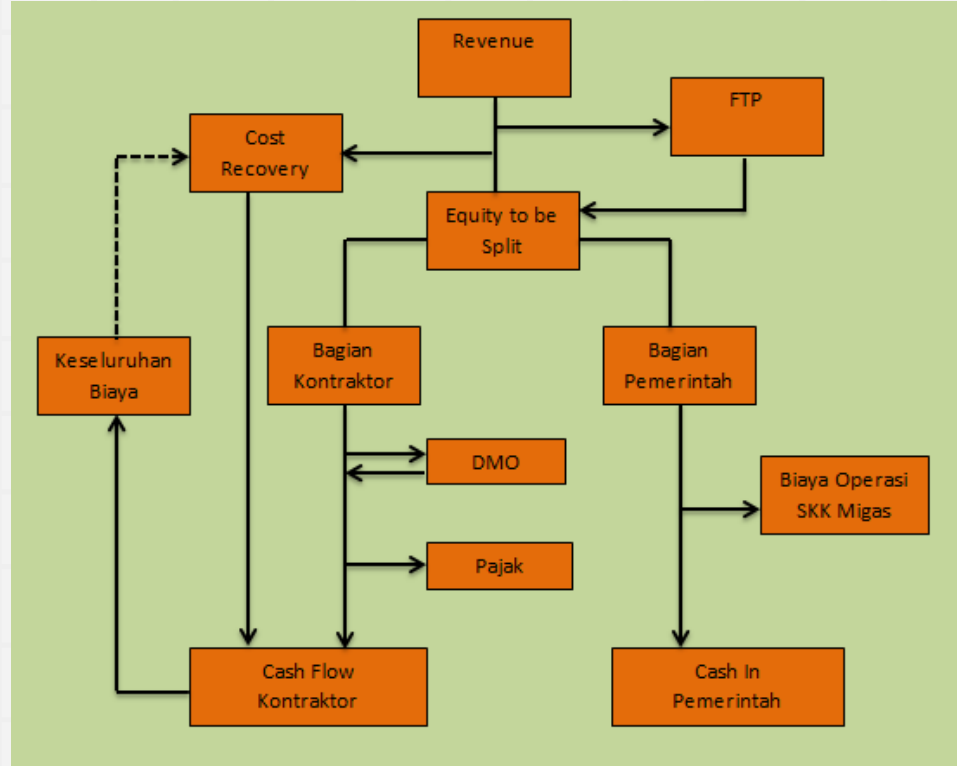
$$\frac{\partial \rho}{\partial t} + \frac{\partial(\rho w)}{\partial x} = 0$$

$$\frac{\partial(\rho w)}{\partial t} + \frac{\partial(\rho w w)}{\partial x} + \frac{\partial p}{\partial x} = -\frac{\lambda}{2} \frac{\rho w |w|}{d} - \rho g \sin \theta$$

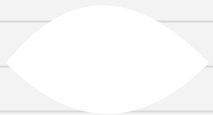


$$= \int_0^1 dx \int_0^{1-x} x^2$$

# Economical model



$$= \int_0^1 dx \int_0^{1-x} x^2$$



**DENGAN BANTUAN DATA,  
LEBIH LUAS LAGI**

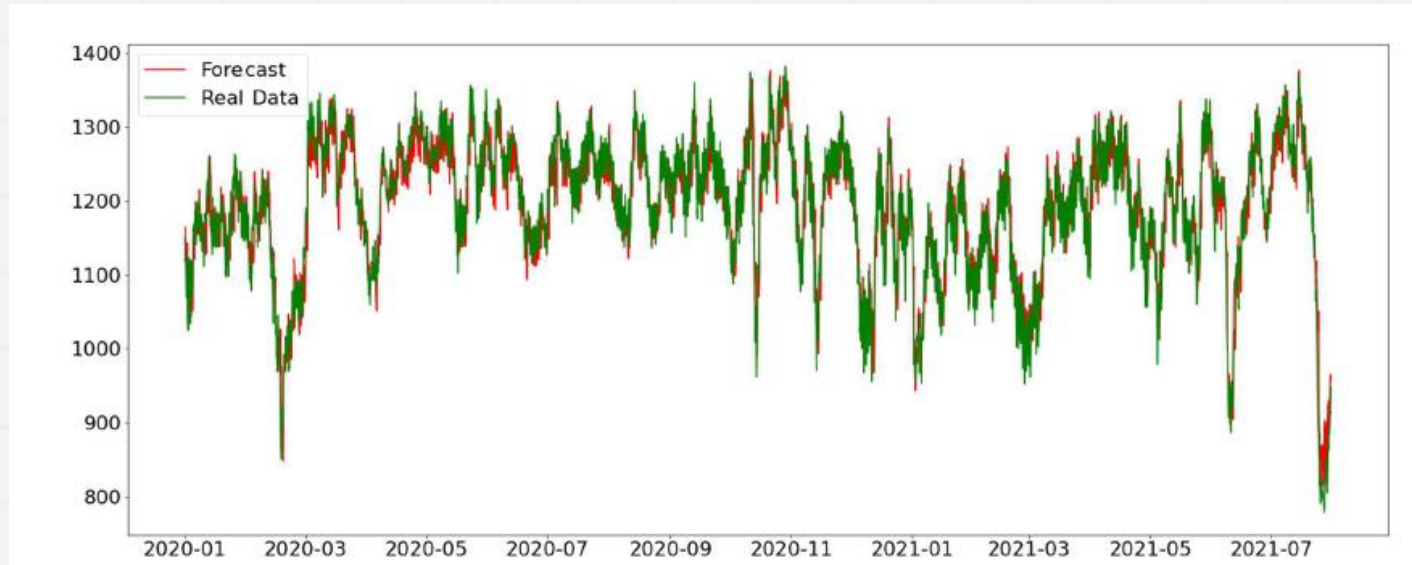


$$2\sqrt{y^2 - x^2}$$

# Data Forecasting

Data deret waktu ada di banyak lini, siap untuk diramal.

Teknik tradisional (ARIMA dan turunannya) sampai yang modern (Recurrent Neural Network dan turunannya) dapat diterapkan



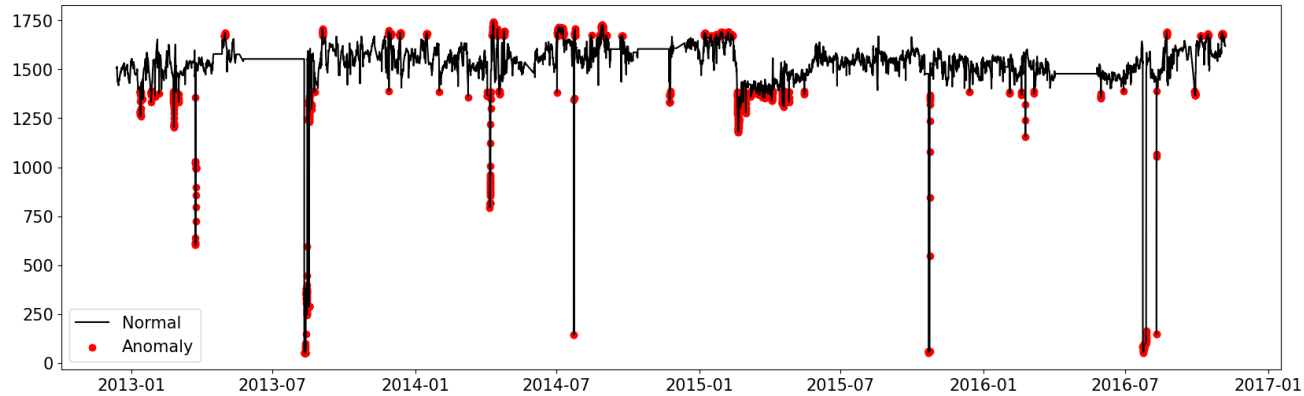
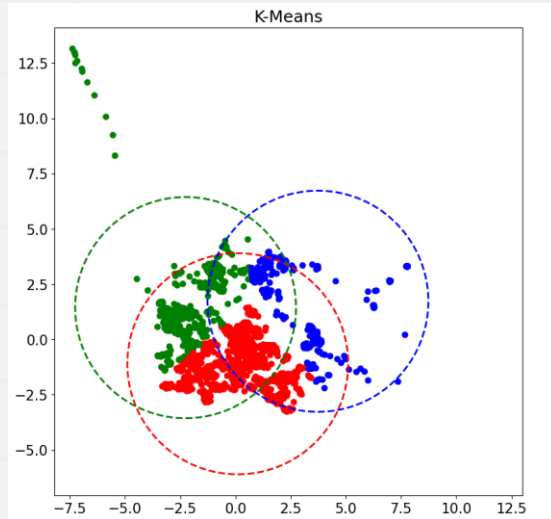
$$10(x+3y) \int x^2 dz =$$

$$2\sqrt{y^2 - x^2}$$

# Anomaly Detection

Beberapa data perlu dideteksi anomalnya, kebutuhan untuk monitoring dan pencegahan risk.

Deteksi anomali dapat dilakukan dengan 2 cara, **supervised** dan **unsupervised**



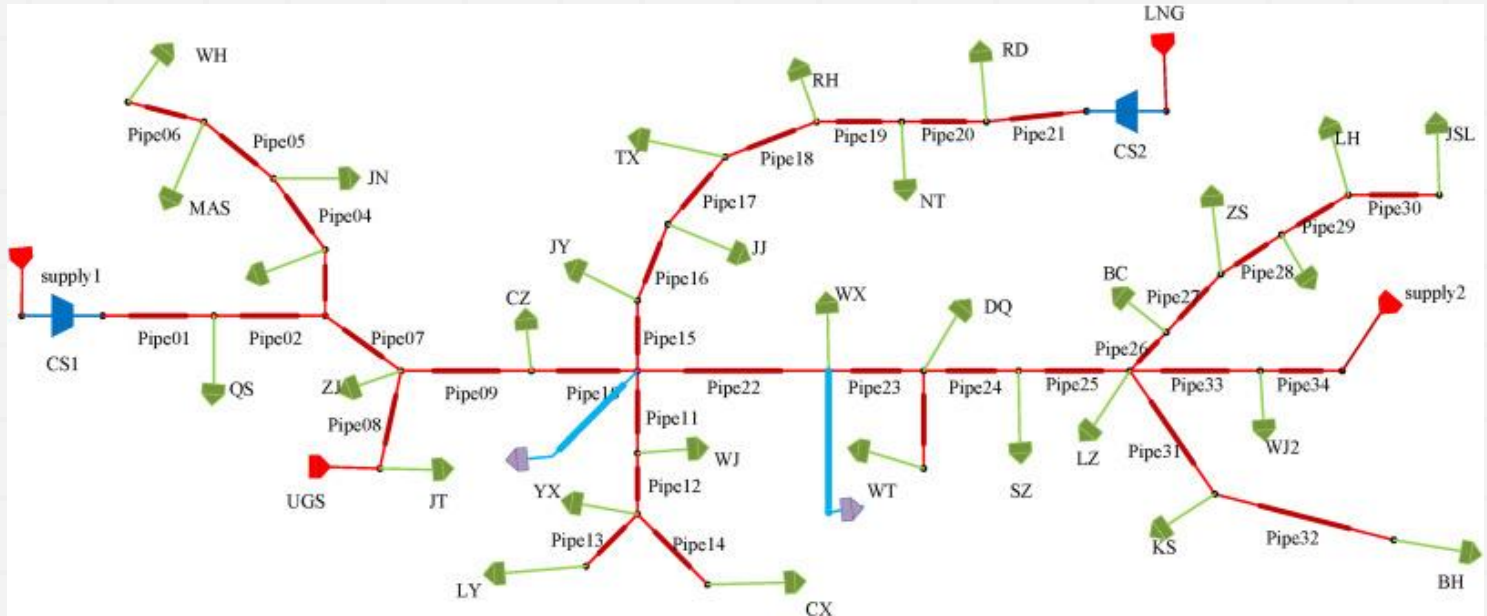
$$10(x+3y) \\ \int x^2 dz =$$

$$2\sqrt{y^2 - x^2}$$

# Graph Neural Network

Jaringan pipa migas merupakan sistem yang kompleks sebuah graf.

Dalam metode modern

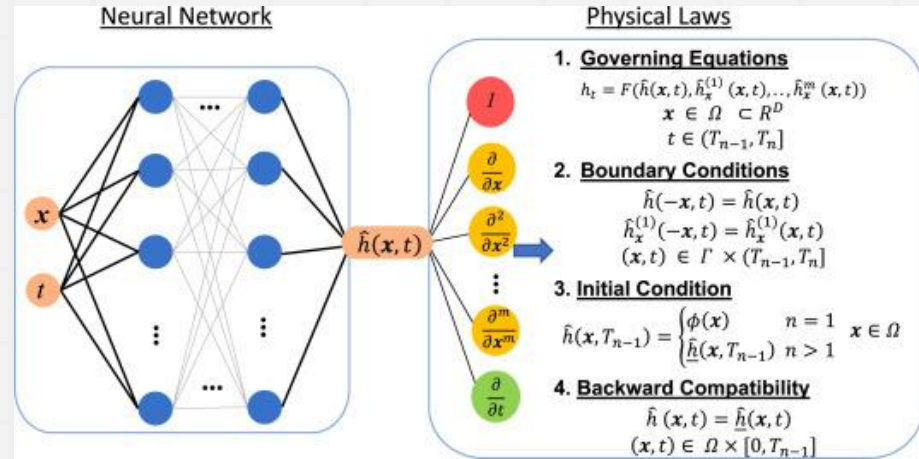
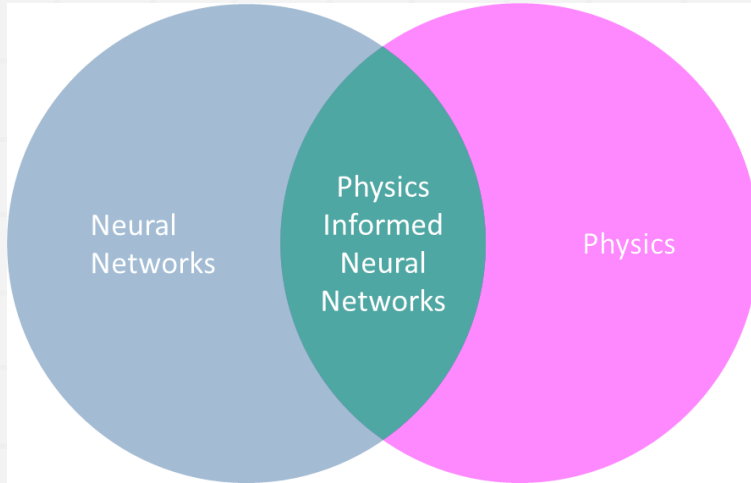


$$10(x+3y) \int x^2 dz =$$

$$2\sqrt{y^2 - x^2}$$

# Physics-Informed Neural Network

Kita juga bisa melakukan simulasi data dengan memanfaatkan informasi persamaan fisiknya



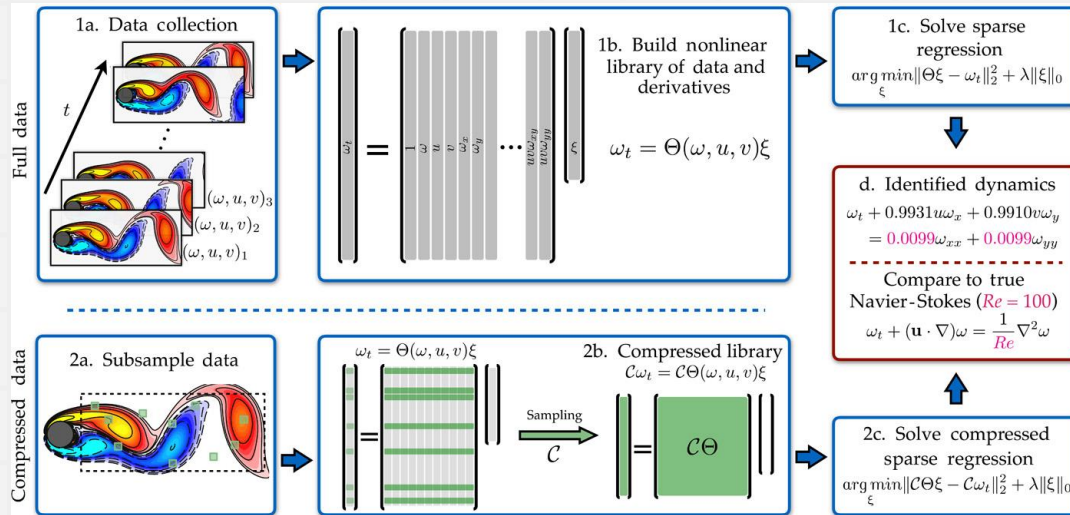
$$10(x+3y) \int x^2 dz =$$



$$2\sqrt{y^2 - x^2}$$

# Sparse Identification of Nonlinear Dynamics (SINDy)

Sebaliknya, kita bisa memprediksi persamaan fisis dari data yang ada



$$10(x+3y) \int x^2 dz =$$

# BAGAIMANA CARANYA?



Dunia nyata

Masyarakat

Sains +  
Teknik

Sosial  
Humaniora

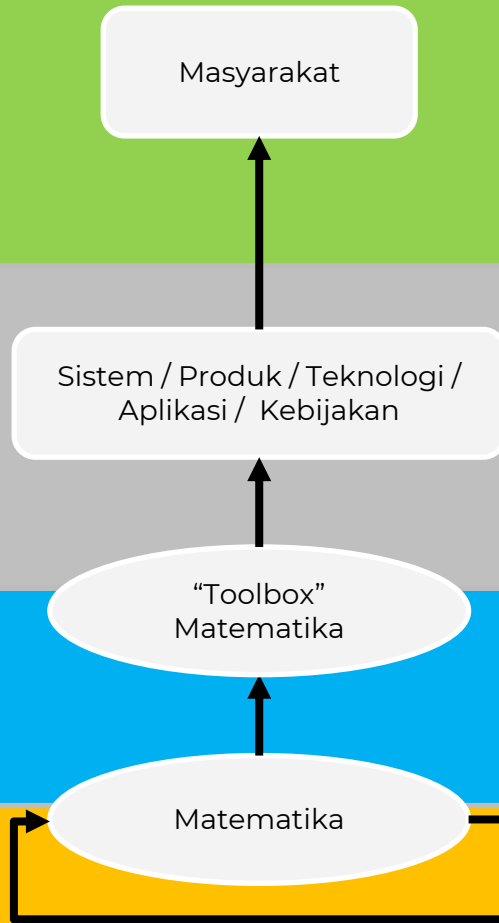
Sistem / Produk / Teknologi /  
Aplikasi / Kebijakan

“Toolbox”  
Matematika

Matematika Terapan

Matematika

Matematika Murni



$$z = \sqrt{y^2 - x^2}$$

$$z = 1 + \sqrt{9x^2 + 4y^2}$$
$$z = 4 + \sqrt{9x^2 + 4y^2}$$

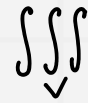


Pemodelan merupakan titik perbatasan matematika  
+  
dengan ilmu lain

Orang yang berada di perbatasan harus bisa  
komunikasi ke luar



$$V: z = 10(x + 3y), x + y + z = 10$$
$$x = 0, y = 0, z = 0$$



**01**

Dalami dasar matematika dengan baik

**02**

Banyak mencoba masalah2 sederhana matematika terapan

**03**

Banyak diskusi atau mencari tahu penggunaan matematika di bidang lain

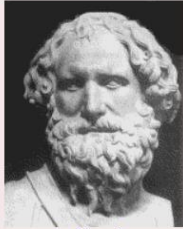
**04**

Eksplorasi dan mulai projek-projek sederhana

$$2\sqrt{y^2 - x^2}$$



Isaac Newton



Archimedes



Carl Gauss



Leonhard Euler



Bernhard Riemann



Henri Poincaré



J.-L. Lagrange



David Hilbert



Euclid



G.W. Leibniz

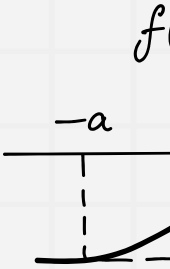


Alex. Grothendieck



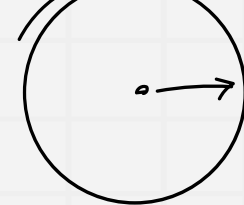
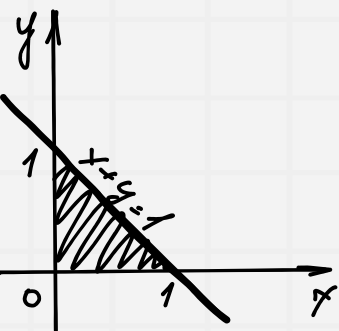
Pierre de Fermat

**Banyak topik matematika berkembang dari interaksinya dengan ilmu lain**



$$= 3g) dy =$$

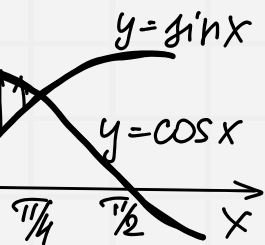
$$\iiint x^2 dx dy dz =$$



$$S = 2\pi R$$

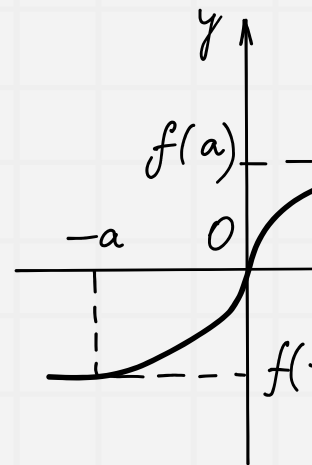
# Thanks!

Do you have any questions?



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$$2\sqrt{y^2 - x^2}$$